

A word about tangents, arc tangents and MATLAB

WATCH IT IN QUADRANTS OTHER THAN THE FIRST

% Take a 45 degree angle on circle r=1

```
>> help tan
```

tan Tangent of argument in radians.

tan(X) is the tangent of the elements of X.

```
>> s1=1/sqrt(2) % s1 = 0.7071
```

```
>> c1=1/sqrt(2) % c1 = 0.7071
```

```
>> tan1=s1/c1 % tan1 = 1
```

```
>> angle_rad=atan(tan1) % angle_rad = 0.7854 (pi/4)
```

```
>> angle_deg=atan(tan1)*180/pi % angle_deg = 45
```

% Second quadrant Sine, Cosine on circle of radius sqrt(2)

```
>> s2 = 1
```

```
>> c2 = -1
```

```
>> tan2=s2/c2 % tan2 = -1
```

```
>> atan(-1)*180/pi
```

```
ans = -45 >> % Wrong! USE ATAN2(Y,X) OR correct angle_rad = pi + atan(sine/cosine)
```

```
>> help atan2
```

atan2 Four quadrant inverse tangent.

atan2(Y,X) is the four quadrant arctangent of the elements of X and Y

such that $-\pi \leq \text{atan2}(Y,X) \leq \pi$. X and Y must have compatible sizes.

In the simplest cases, they can be the same size or one can be a

scalar. See also atan, atan2d.

```
>> tan2_rad=atan2(1,-1) % tan2_rad = 2.3562 radians
```

```
>> tan2_deg=atan2(1,-1)*180/pi % tan2_deg = 135 degrees CORRECT
```

$$\text{atan2}(y, x) = \begin{cases} \arctan(\frac{y}{x}) & \text{if } x > 0, \\ \arctan(\frac{y}{x}) + \pi & \text{if } x < 0 \text{ and } y \geq 0, \\ \arctan(\frac{y}{x}) - \pi & \text{if } x < 0 \text{ and } y < 0, \\ +\frac{\pi}{2} & \text{if } x = 0 \text{ and } y > 0, \\ -\frac{\pi}{2} & \text{if } x = 0 \text{ and } y < 0, \\ \text{undefined} & \text{if } x = 0 \text{ and } y = 0. \end{cases}$$

% THIRD QUADRANT

```
>> s3 = -1 % s3 = -1
```

```
>> c3 = -1 % c3 = -1
```

```
>> tan3 = s3/c3 % tan3 = 1 Wrong
```

IN THIRD QUADRANT ANSWER IS

```
>> atan3_rad = atan2(s3, c3) % atan3 = -2.3562
```

```
>> atan3_deg = atan2(s3, c3)*180/pi % atan3 = -135
```

NOTE: >> 360-135 ans = 225 degrees

WATCH IT!!!!!!!!!!!!!!